## Chapter 1 - Measure of Central Tendencies

The mean is the sum of all values divided by the number of values
The median is the middle value when values are arranged in order
The mode is the most commonly occurring value
Take the numbers $7,6,5,6,8,5,7,8,9$
Mean $=68 / 10=6.8$
$\llcorner$ The sum of all the values is 68 and the total values are 10
Median =
L Order the sequence: 5, 5, 6, 6, 7, 7, 7, 8, 8, 9
L Isolate the middle value: 5.5 - so the 5 and 6 values - hence the answer is $7+7 / 2=7$
Mode $=7$ as it occurs most frequently
A frequency table is another way of storing data
Frequency is the number of times a value occurs

| Number of <br> Flowers | Frequency If |
| :---: | :---: |
| 0 | 12 |
| 1 | 21 |
| 2 | 8 |
| 3 | 3 |
| 4 | 0 |
| 5 | 1 |

From the frequency
toble we can see that 12 times there were 0 flowers ( 12 is the frequency), and 21 times there was 1 flower ( 21 is the frequency)

To find the mean of a frequency table you multiply the value by frequency and add up the products of the frequency and number:

$$
\begin{aligned}
& 0 \times 12=0 \\
& 1 \times 21=21 \\
& 2 \times 8=16 \\
& 3 \times 3=9 \\
& 4 \times 0=0 \\
& 5 \times 1=5
\end{aligned}
$$

Add up all of the values and you get 51
Divide 51 by the total frequency: $51 / 45=1.1$ mean value
The cumulative frequency is calculated by adding each frequency from a frequency distribution table to the sum of its
 predecessors:

$$
\begin{array}{ll}
12+21=33 & 1=45 \\
\underline{33}+8=41 & \\
\underline{41}+3=44 & \text { This data is usually represented by a frequency table (as } \\
\underline{44}+0=44 & \text { shown above) or a frequency curve. }
\end{array}
$$

## Quartile and interquartile range

It is the range of values between $25 \%$ and $75 \%$
To find the quartile range, find $25 \%$ and $75 \%$ of the frequency. Draw the line from the frequencies to their corresponding values on the $x$-axis and subtract them:

Lower quartile $=25 / 100 \times 45=11.25$
Upper quartile $75 / 100 \times 45=33.75$
Hence interquartile range will be 1.1-0.3 $=0.8$

## Variance and Standard Deviation

Variance and standard deviation are two other types of central tendencies.
Variance is the standard deviation SQUARED
They can be found using the following formula:

$$
s^{2}=\frac{\sum\left(x_{i}-\bar{x}\right)^{2}}{n-1}
$$

